

Pythia 8 for EIC

RBRC WORKSHOP: SMALL-X PHYSICS IN THE EIC ERA

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December 16th, 2021



JYVÄSKYLÄN YLIOPISTO
UNIVERSITY OF JYVÄSKYLÄ



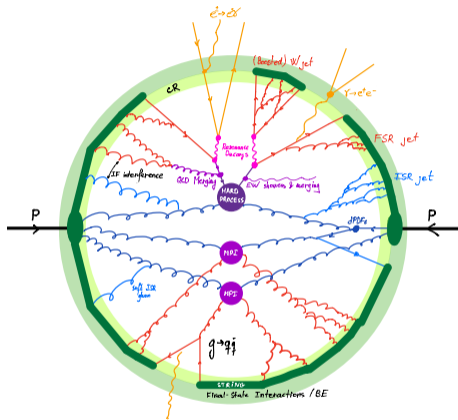
ACADEMY OF FINLAND



Outline

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1. Introduction to PYTHIA 8
2. Deep inelastic scattering (DIS)
3. Photoproduction (PhP)
4. Diffractive dijets in PhP
5. Intermediate Q^2 region
6. Summary & Outlook

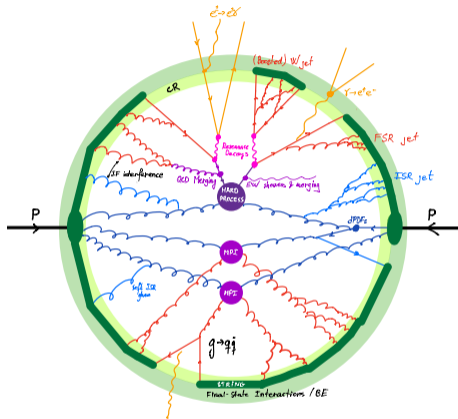


[figure by P. Skands]

PYTHIA event generator

(subset of) Physics covered in 8.3

- Different beam combinations: ee , $\gamma\gamma$, ep , γp , pp , pA , AA , DM
- **Hard scattering:** native LO, NLO+PS with aMC@NLO and POWHEG-BOX
- **Parton showers:** Default, DIRE, VINCIA
- **Multiparton interactions (MPIs):** Interleaved with shower evolution
- **Soft physics:** Diffraction, Elastic, Hadronic (re-)scattering
- **Hadronization:** String fragmentation, Color reconnection, Ropes & shoving



[figure by P. Skands]

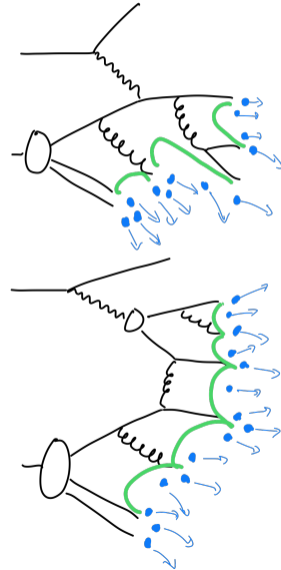
Lepton-proton collisions classified in terms photon virtuality Q^2

Deep inelastic scattering (DIS)

- High virtuality, $Q^2 > \text{a few GeV}^2$
- Lepton scatters off from a parton by exchanging a highly virtual photon

Photoproduction

- Low virtuality, $Q^2 \lesssim 1 \text{ GeV}^2$
⇒ Direct and resolved contributions
- Factorize γ flux, evolve γp system
- Hard scale provided by the hadronic observable
- Also soft QCD processes, diffraction



Event generation in DIS with PYTHIA 8

Hard scattering

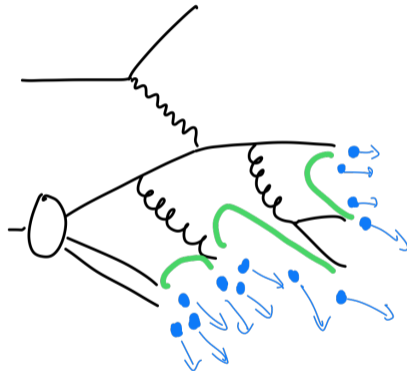
- Convolution between PDFs and matrix element (ME) for partonic scattering

Parton shower

- Final state radiation (FSR)
- Initial state radiation (ISR) for hadron
- QED emissions from leptons (omitted)

Hadronization

- String hadronization with colour reconnections
- Decays to stable hadrons



Alternative shower model `dipoleRecoil`

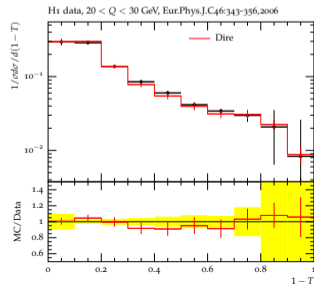
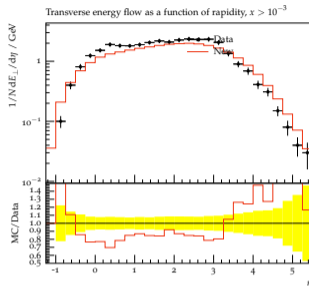
[B. Cabouat and T. Sjöstrand, EPJC 78 (2018 no.3, 226)]

- No PS recoil for the scattered lepton
- Reasonable description of single-particle properties, such as transverse energy flow
- Results based on tune with the default global-recoil shower

Completely new shower `DIRE`

[S. Höche, S. Prestel, EPJC 75 (2015) no.9, 461]

- Correct soft-gluon interference at lowest order
- Inclusive NLO corrections to collinear splittings
- Good agreement with HERA data e.g. for thrust T



Event generation in photoproduction

Direct processes

- Photon initiator of the hard process (DIS-like)
- Convolute photon flux f_γ with proton PDFs f_i^p and $d\hat{\sigma}$

$$d\sigma^{bp \rightarrow kl+X} = f_\gamma^b(x) \otimes f_i^p(x_p, \mu^2) \otimes d\hat{\sigma}^{\gamma i \rightarrow kl}$$

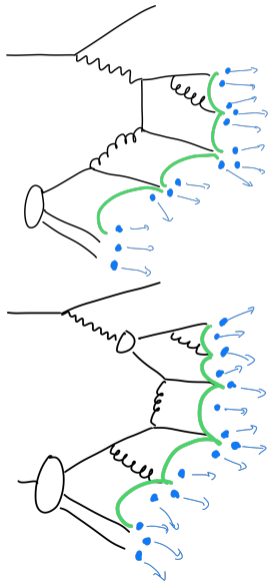
- Generate FSR and ISR for proton side

Resolved processes

- Convolute also with photon PDFs

$$d\sigma^{bp \rightarrow kl+X} = f_\gamma^b(x) \otimes f_j^\gamma(x_\gamma, \mu^2) \otimes f_i^p(x_p, \mu^2) \otimes d\sigma^{ij \rightarrow kl}$$

- Sample x and Q^2 , setup γp sub-system with $W_{\gamma p}$
- Evolve γp as any hadronic collision (including MPIs)



Comparison to HERA photoproduction data

ZEUS dijet measurement

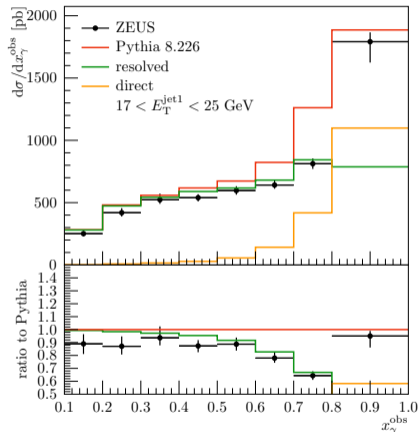
- $Q^2 < 1.0 \text{ GeV}^2$
- $134 < W_{\gamma p} < 277 \text{ GeV}$
- $E_T^{\text{jet1}} > 14 \text{ GeV}, E_T^{\text{jet2}} > 11 \text{ GeV}$
- $-1 < \eta^{\text{jet1,2}} < 2.4$

Two contributions

- Momentum fraction of partons in photon

$$x_\gamma^{\text{obs}} = \frac{E_T^{\text{jet1}} e^{\eta^{\text{jet1}}} + E_T^{\text{jet2}} e^{\eta^{\text{jet2}}}}{2yE_e} \approx x_\gamma$$

- Sensitivity to process type
- At high- x_γ^{obs} direct processes dominate



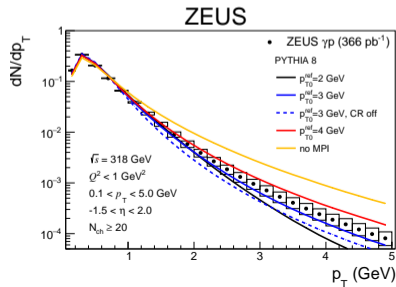
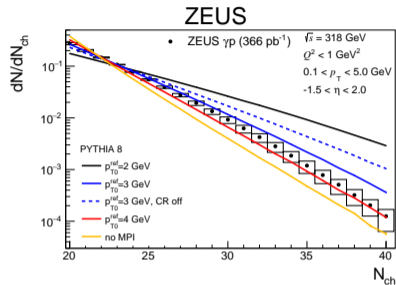
[ZEUS: Eur.Phys.J. C23 (2002) 615-631]

Multiplicity distributions

- Multiplicity distributions sensitive to MPIs with resolved photons
- ZEUS data support for MPIs but with slightly larger p_{T0}^{ref} than in pp \Rightarrow less MPIs (Good description also for γp multiplicities in UPCs at LHC, see backup)

p_T spectra for $N_{\text{ch}} > 20$

- Similar agreement as above
- Useful constraints for MPIs in γp system
- Good agreement also in $c_1\{2\}$



Hard diffraction in photoproduction

- Process with a hard scale, described with a colour-neutral Pomeron (IP) exchange
- Experimentally identified from rapidity gap

Factorization of the diffractive cross section

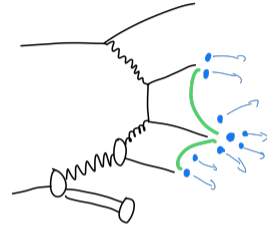
- Direct: Pomeron flux and diffractive PDFs (dPDFs)

$$d\sigma_{\text{direct}}^{2\text{jets}} = f_{\gamma}^b(x) \otimes d\sigma^{\gamma j \rightarrow 2\text{jets}} \otimes f_j^{\text{IP}}(z_{\text{IP}}, \mu^2) \otimes f_{\text{IP}}^{\text{D}}(x_{\text{IP}}, t)$$

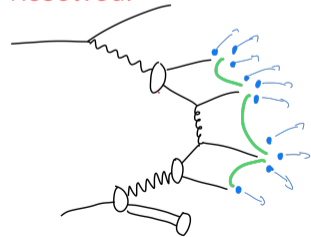
- Resolved: photon PDFs

$$d\sigma_{\text{resolved}}^{2\text{jets}} = f_{\gamma}^b(x) \otimes f_i^{\gamma}(x_{\gamma}, \mu^2) \otimes d\sigma^{ij \rightarrow 2\text{jets}} \otimes f_j^{\text{IP}}(z_{\text{IP}}, \mu^2) \otimes f_{\text{IP}}^{\text{D}}(x_{\text{IP}}, t)$$

Direct:



Resolved:



Hard diffraction in PYTHIA 8

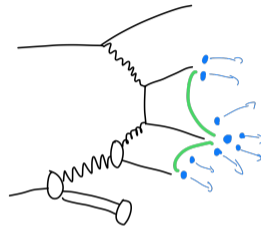
Hard diffraction in photoproduction

- Process with a hard scale, described with a colour-neutral Pomeron (IP) exchange
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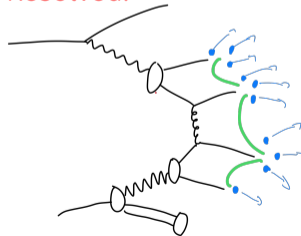
Dynamical rapidity gap survival model

1. Generate diffractive events with dPDFs (PDF)

Direct:



Resolved:



Hard diffraction in PYTHIA 8

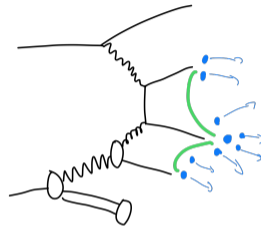
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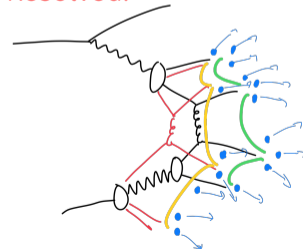
Dynamical rapidity gap survival model

1. Generate diffractive events with dPDFs (PDF)
2. Reject events where MPIs in γp system (MPI)

Direct:



Resolved:



Hard diffraction in PYTHIA 8

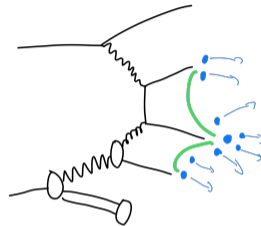
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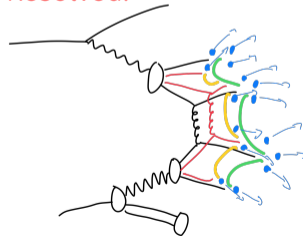
Dynamical rapidity gap survival model

1. Generate diffractive events with dPDFs (PDF)
2. Reject events where MPIs in γp system (MPI)
3. Evolve γIP system, allow MPIs

Direct:



Resolved:



Hard diffraction in PYTHIA 8

Hard diffraction in photoproduction

- Process with a hard scale, described with a colour-neutral Pomeron (IP) exchange
- Experimentally identified from rapidity gap

Dynamical rapidity gap survival model

1. Generate diffractive events with dPDFs (PDF)
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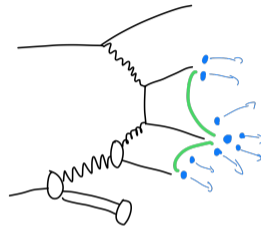
Implemented from PYTHIA 8.235 onwards

[I.H. and C.O. Rasmussen, EPJC 79 (2019) no.5, 413]

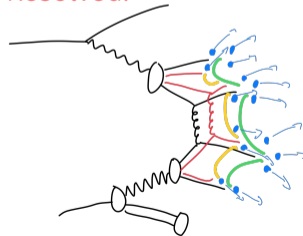
Same idea applied for pp collisions at the LHC

[C.O. Rasmussen and T. Sjöstrand, JHEP 1602 (2016) 142]

Direct:

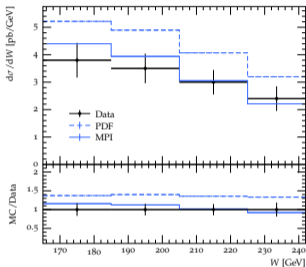


Resolved:

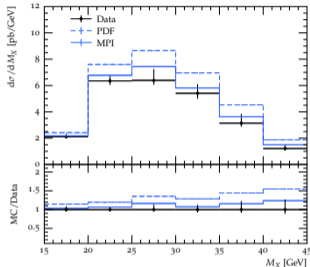


Comparisons to HERA data

H1: [EPJC 51 (2007) 549]



ZEUS: [EPJC 55 (2008) 177]



- PDF selection overshoots the data by 20–50 %
- Impact of the MPI rejection increases with W
- Stronger suppression in H1 analysis due to looser cuts on E_T^{jets} and $x_{\text{ip}} \Rightarrow$ More MPIs

Cuts

	H1	ZEUS
Q_{max}^2 [GeV ²]	0.01	1.0
$E_{T,\text{min}}^{\text{jet1}}$ [GeV]	5.0	7.5
$E_{T,\text{min}}^{\text{jet2}}$ [GeV]	4.0	6.5
$x_{\text{ip}}^{\text{max}}$	0.03	0.025

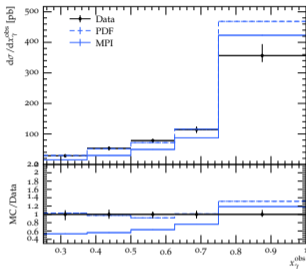
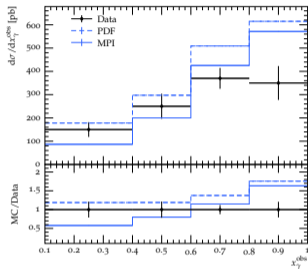
PYTHIA setup

- dPDFs from H1 fit B LO
- γ PDFs from CJKL
- $p_{T0}^{\text{ref}} = 3.00$ GeV/c
(Tuned to inclusive charged particle data from γp at HERA)

Comparisons to HERA data

H1: [EPJC 51 (2007) 549]

ZEUS: [EPJC 55 (2008) 177]



- Stronger suppression at low- x_γ^{obs} (more MPIs)
- ZEUS cuts select events at high- x_γ^{obs} region
- Some theoretical uncertainty from γ PDFs, dPDFs and scale variation

Cuts

Q_{max}^2 [GeV²]

$E_{T,\text{min}}^{\text{jet1}}$ [GeV]

$E_{T,\text{min}}^{\text{jet2}}$ [GeV]

$x_{\text{ip}}^{\text{max}}$

H1

0.01

5.0

4.0

0.03

ZEUS

1.0

7.5

6.5

0.025

χ^2 analysis

H1

ZEUS

H1 & ZEUS

PDF

5.2

9.6

7.6

MPI

1.4

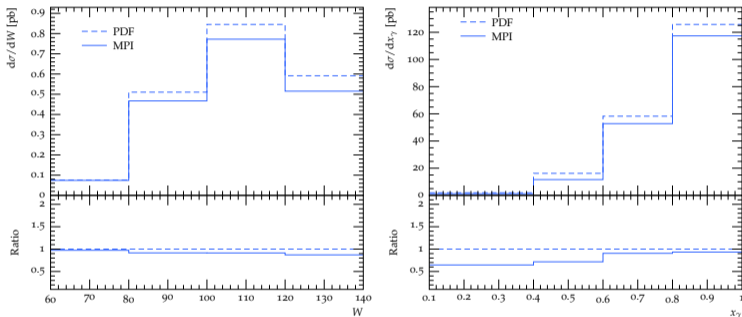
5.1

3.4

(with all data points)

Predictions for EIC

Repeat the H1 analysis at EIC kinematics ($E_e = 18$ GeV, $E_p = 275$ GeV)



- Only up to $\sim 10\%$ effects in the considered W range
 - Noticeable suppression only at low x_γ where cross section small
- \Rightarrow Available energy and kinematical cuts for diffraction push the kinematics to region where only little room for MPIs ($E_T^{\text{jet1}} > 5.0$ GeV, $E_T^{\text{jet2}} > 4.0$ GeV)

Intermediate Q^2 region

Solid theory for $Q^2 = 0$ and at high Q^2

⇒ What happens in between?

Pythia 6 (inspired) model (\neq Pythia 8)

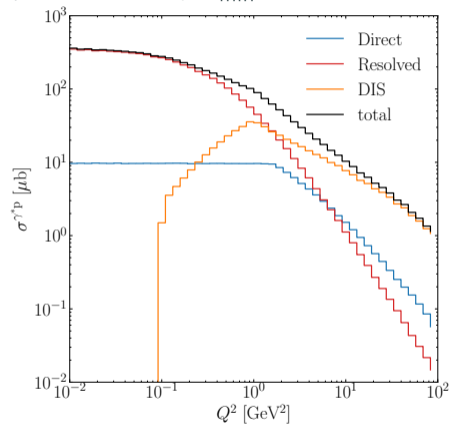
- Select suitable scales and suppress contributions by hand

$$\sigma_{\text{tot}}^{\gamma^*p} = \tilde{\sigma}_{\text{DIS}}^{\gamma^*p} \exp \left[-\frac{\tilde{\sigma}_{\text{Dir}}^{\gamma^*p}}{\tilde{\sigma}_{\text{DIS}}^{\gamma^*p}} \right] + \tilde{\sigma}_{\text{Dir}}^{\gamma^*p} + \tilde{\sigma}_{\text{Res}}^{\gamma^*p}$$

where

- $\tilde{\sigma}_{\text{DIS}}^{\gamma^*p} = \left[\frac{Q^2}{Q^2 + m_\rho^2} \right]^2 \sigma_{\text{DIS}}^{\gamma^*p}$
- $\tilde{\sigma}_{\text{Res}}^{\gamma^*p} = \sigma_{\text{Res}}^{\gamma^*p} \left[\frac{m_\rho^2}{m_\rho^2 + Q^2} \right]^2 \left[\frac{W^2}{W^2 + Q^2} \right]^n$
- $\tilde{\sigma}_{\text{Dir}}^{\gamma^*p} = \sigma_{\text{Dir}}^{\gamma^*p} (\hat{p}_{T,\text{min}} = \max(Q, p_{T,\text{min}}))$
 $p_{T,\text{min}} = 1.3 \text{ GeV}, n = 3, m_\rho = 0.7755 \text{ GeV}$

$\sqrt{s} = 318 \text{ GeV}, W_{\text{min}} = 100 \text{ GeV}$:



Intermediate: $0.5 \lesssim Q^2 \lesssim 5.0 \text{ GeV}^2$

Intermediate Q^2 region

Solid theory for $Q^2 = 0$ and at high Q^2

⇒ What happens in between?

Pythia 6 (inspired) model (\neq Pythia 8)

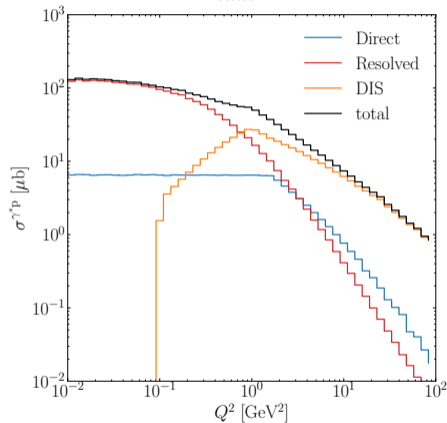
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 $p_{T,\text{min}} = 1.3 \text{ GeV}, n = 3, m_\rho = 0.7755 \text{ GeV}$

$\sqrt{s} = 140 \text{ GeV}, W_{\text{min}} = 10 \text{ GeV}$:



Intermediate: $0.3 \lesssim Q^2 \lesssim 3.0 \text{ GeV}^2$

Intermediate Q^2 region

Solid theory for $Q^2 = 0$ and at high Q^2

⇒ What happens in between?

Pythia 6 (inspired) model (\neq Pythia 8)

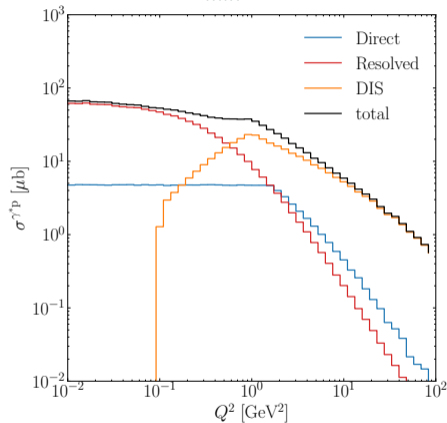
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 $p_{T,\text{min}} = 1.3 \text{ GeV}, n = 3, m_\rho = 0.7755 \text{ GeV}$

$\sqrt{s} = 85 \text{ GeV}, W_{\text{min}} = 10 \text{ GeV}$:



Intermediate: $0.2 \lesssim Q^2 \lesssim 2.0 \text{ GeV}^2$

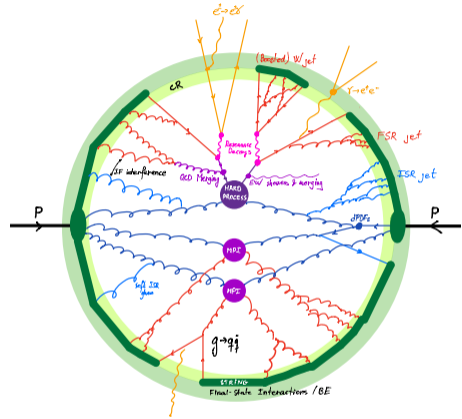
Summary & Outlook

Pythia 8.3 capabilities in ep

- DIS (high Q^2) events with `dipoleRecoil` option and DIRE
- Photoproduction ($Q^2 = 0$) including direct and resolved contributions
 - Also hard diffraction with dynamical rapidity gap survival

Outlook

- New data from HERA and UPCs at the LHC provide further constraints
- For a complete setup need also the region between DIS and PhP!



[figure by P. Skands]

Backup slides

PYTHIA Collaboration

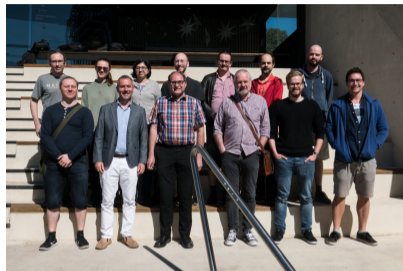
- Christian Bierlich (Lund University)
- Nishita Desai (TIFR, Mumbai)
- Leif Gellersen (Lund University)
- Ilkka Helenius (University of Jyväskylä)
- Philip Ilten (University of Cincinnati)
- Leif Lönnblad (Lund University)
- Stephen Mrenna (Fermilab)
- Stefan Prestel (Lund University)
- Christian Preuss (ETH Zurich)
- Torbjörn Sjöstrand (Lund University)
- Peter Skands (Monash University)
- Marius Utheim (University of Jyväskylä)
- Rob Verheyen (University College London)



[Pythia meeting in Monash 2019]

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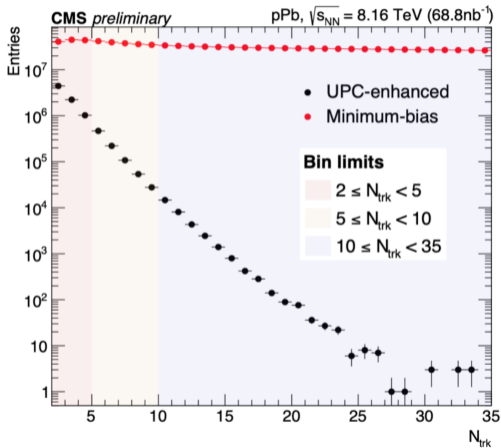
[Pythia meeting in Monash 2019]

- Spokesperson
- Codemaster
- Webmaster

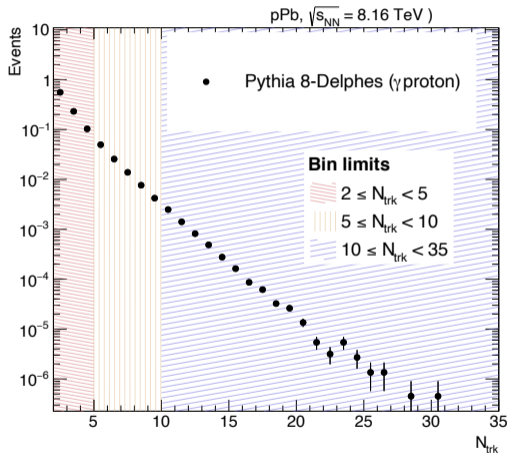
<https://pythia.org>
authors@pythia.org

CMS data for γp in UPCs at the LHC

CMS Data



Pythia8 + detector fast simulation



Intermediate Q^2 region

Solid theory for $Q^2 = 0$ and at high Q^2

⇒ What happens in between?

Pythia 6 (inspired) model (≠ Pythia 8)

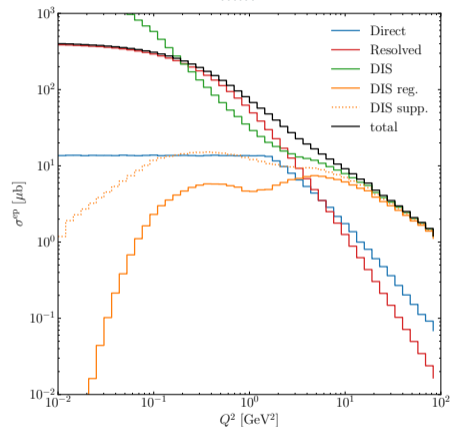
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$\sqrt{s} = 318 \text{ GeV}, W_{\text{min}} = 100 \text{ GeV}$:



Unmodified DIS cross section diverges at $Q^2 \rightarrow 0 \text{ GeV}^2$